

UCN production in He-II for NNbar oscillation experiment

Y. Masuda (KEK)

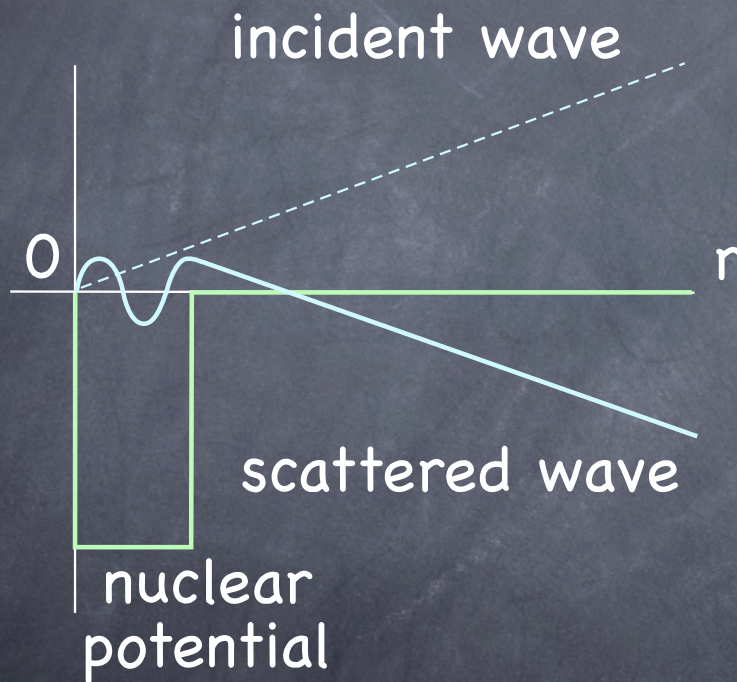
Berkeley

Sep. 22, 2007

We are developing a UCN source for n
EDM, because it has high UCN density.

UCN ?

very low energy neutrons



Fermi potential
 $(2\pi\hbar^2/m) a_{\text{coh}} \delta(r)$
↓ average

$$V_F = (2\pi\hbar^2/m) a_{\text{coh}} N$$

335 neV for ^{58}Ni

210 neV for iron

$$E_n < E_c = V_F$$

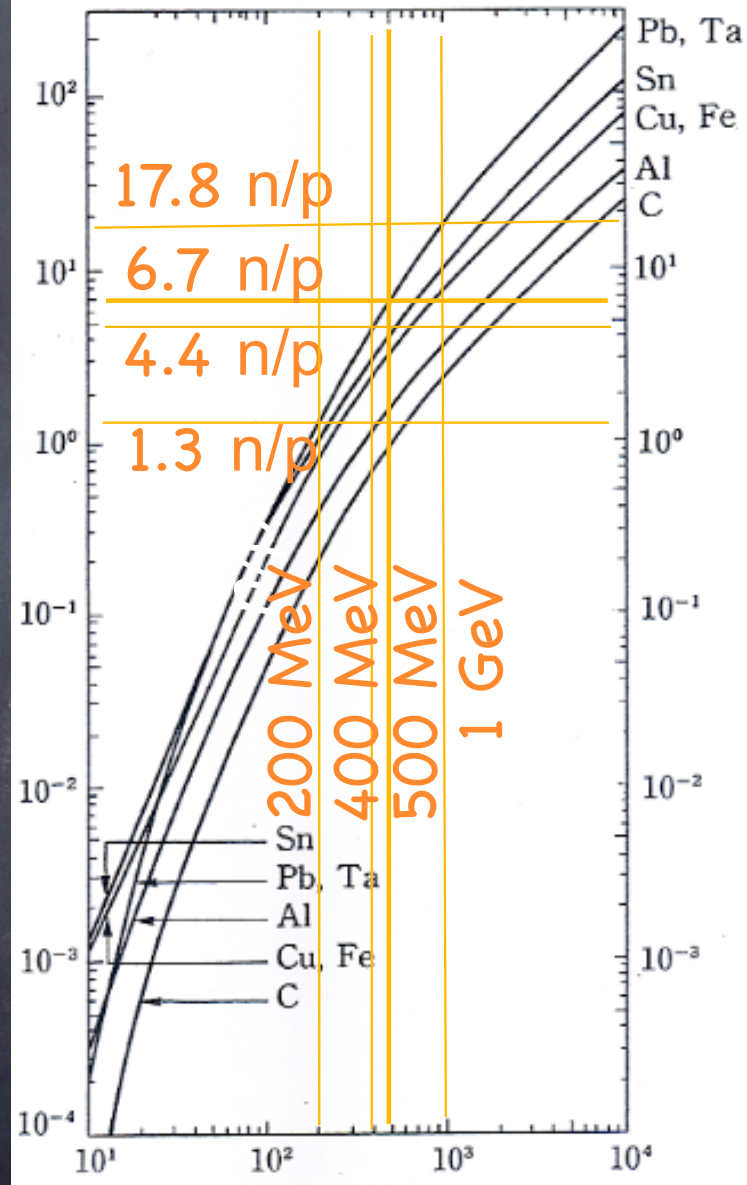
complete reflection
from material surface

NNbar workshop 2002

For the measurement of
oscillation time of 3×10^9 s
we need 1.2×10^7 UCN/s

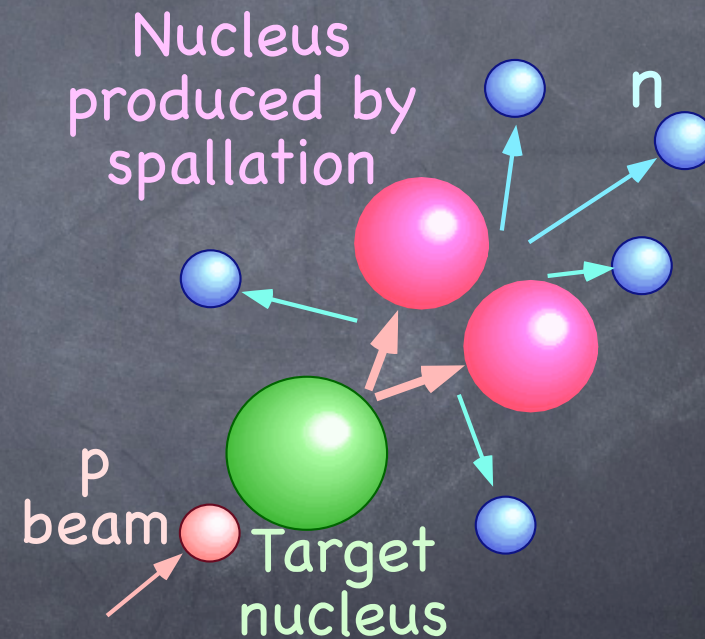
Possibility of He-II
for high production rate

n/p



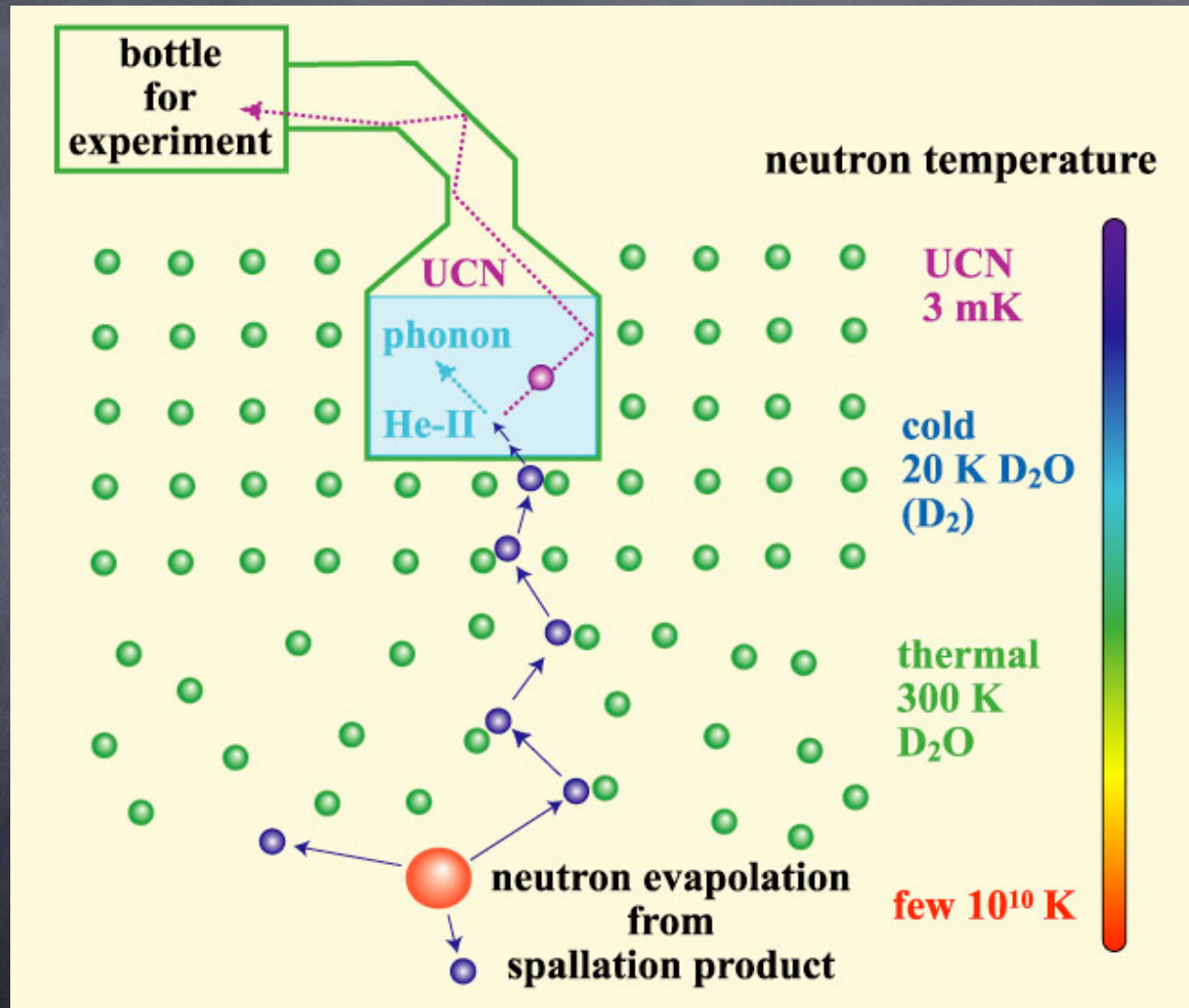
Proton energy, E_p (MeV)

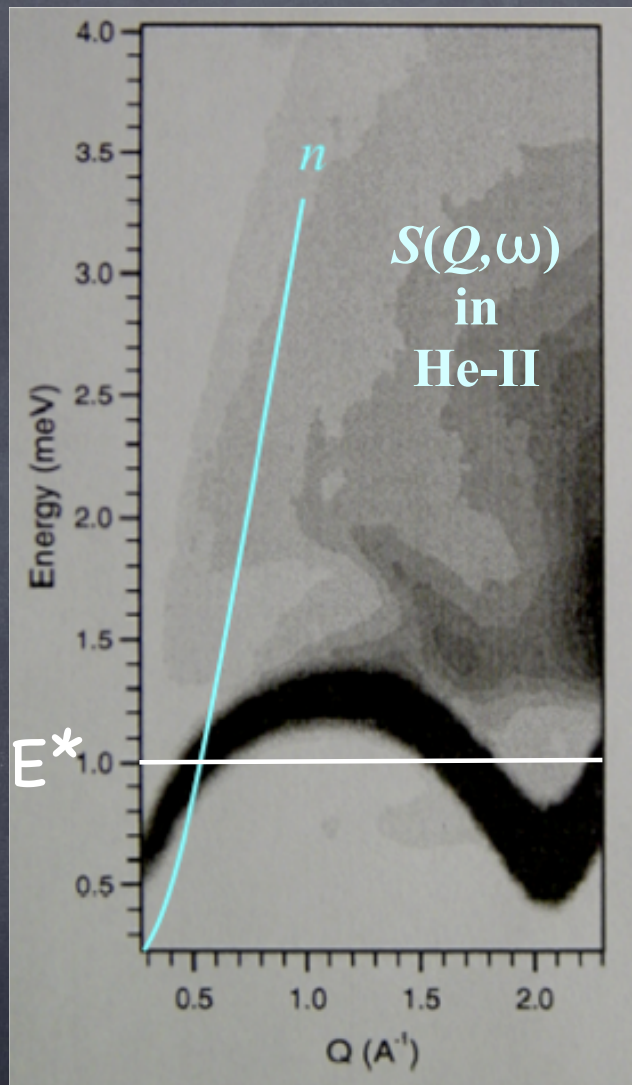
Neutron production



K. Tesch
(1985)

Our UCN production

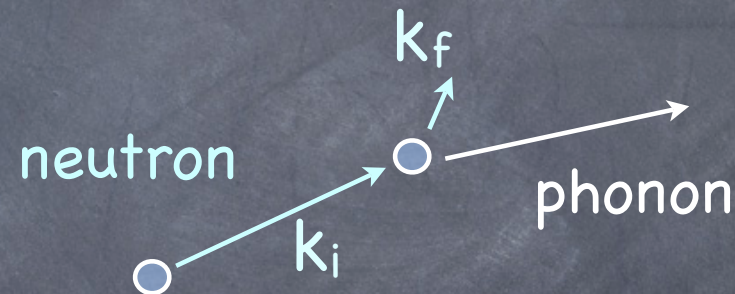




M.R. Gibbs et al. (1999)

UCN production in He-II

Coherent inelastic neutron
scattering in He-II



Born approximation

$$\frac{d^2\sigma}{dQd\omega} = \frac{k_f}{k_i} a^2 S(Q, \omega)$$

a : coherent scattering length
Golub and Pendlebury

UCN production rate

$$P = \int_0^{E_c} \sigma_{\text{coh}}(E^* \rightarrow E) dE N_{\text{He}} \Phi_n(E^*)$$

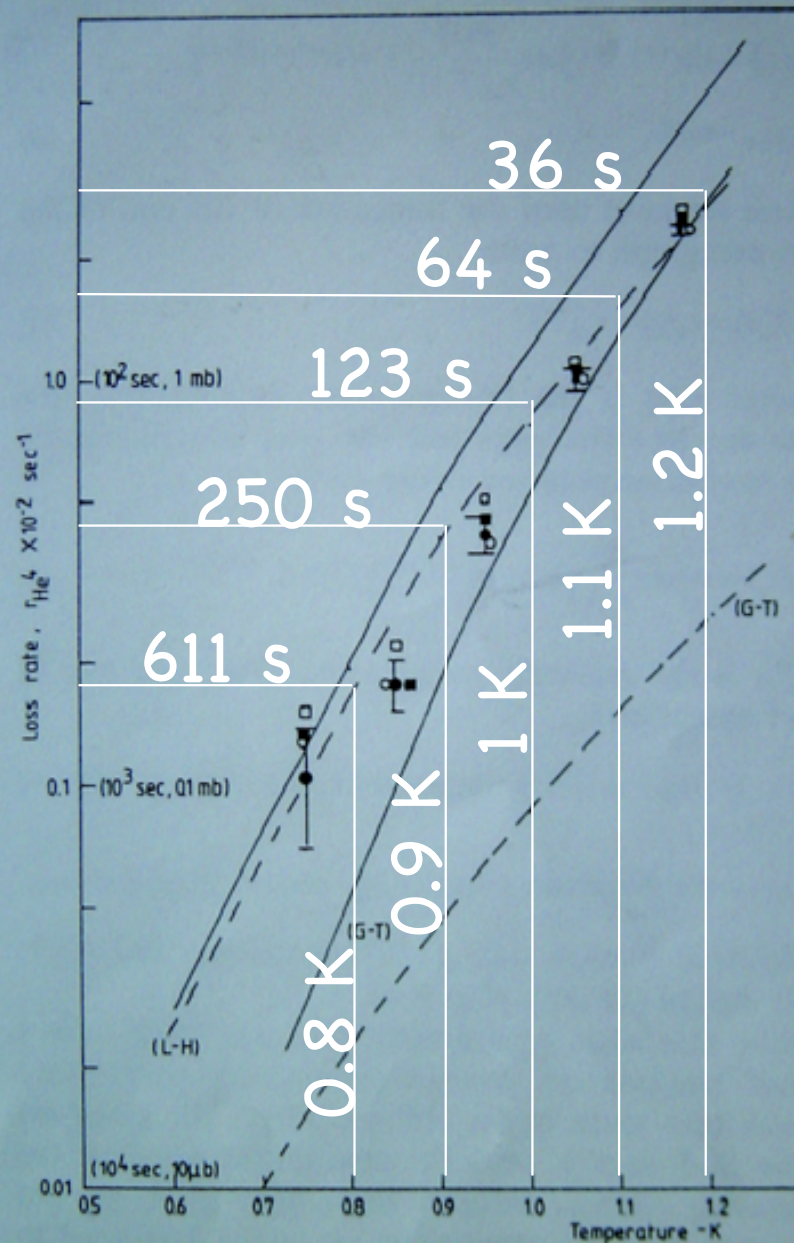
$$\int_0^{E_c} \sigma_{\text{coh}}(E^* \rightarrow E) dE \propto E_c^{3/2}$$

E_c : maximum UCN energy (limited by Fermi potential)

$\Phi_n(E^*)$: n flux at $E^* \propto$ proton beam power
beam power limited by γ heating
UCN loss depends on temperature

$$P \sim 2 \times 10^{-9} \Phi_n / \text{cm}^2 / \text{s} \times V(\text{He-II}) \text{cm}^3 \text{ (Golub)}$$

Cold n flux $\Phi_n = 1.7 \times 10^{13} \text{ n/cm}^2 / \text{s}$ for 200kW p (Monte Carlo)
 $\rightarrow 3.3 \times 10^8 \text{ UCN/s}$



UCN loss rate
 $1/\tau_s$

$$\tau_s \propto (1/T_{\text{He-II}})^7$$

Golub

$$\tau_s = 4.8 \text{ s at } 1.6 \text{ K}$$

$$1 \text{ s at } 2 \text{ K}$$

γ heating in H-II

100 W at a 200 kW of p beam power (horizontal)

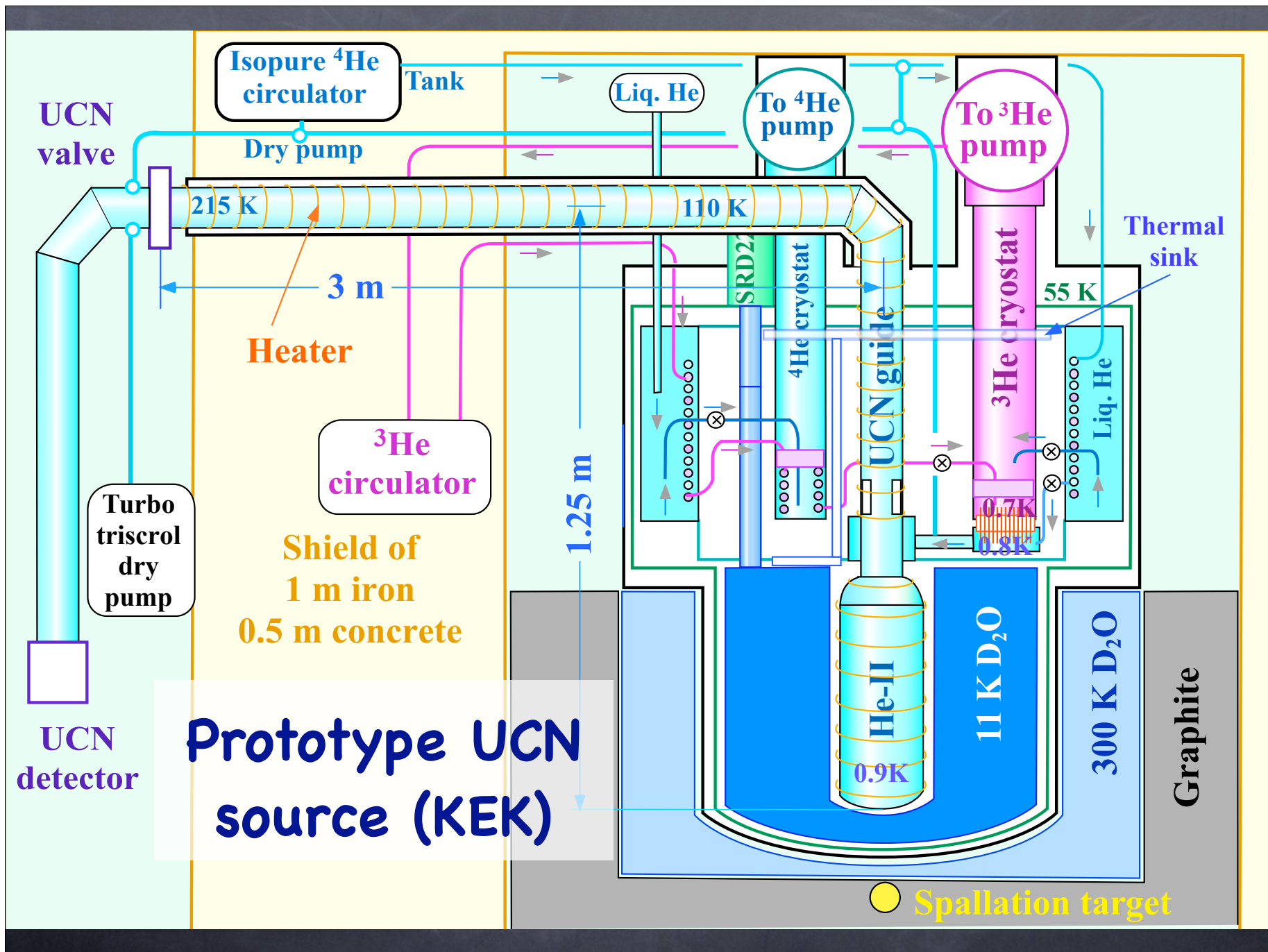
$1.2 \times 10^4 \text{ m}^3/\text{h}$ ^4He pumping at 1.6 K
helium liquefier has few 100 W

Cooling power $\propto$ latent heat of vaporization

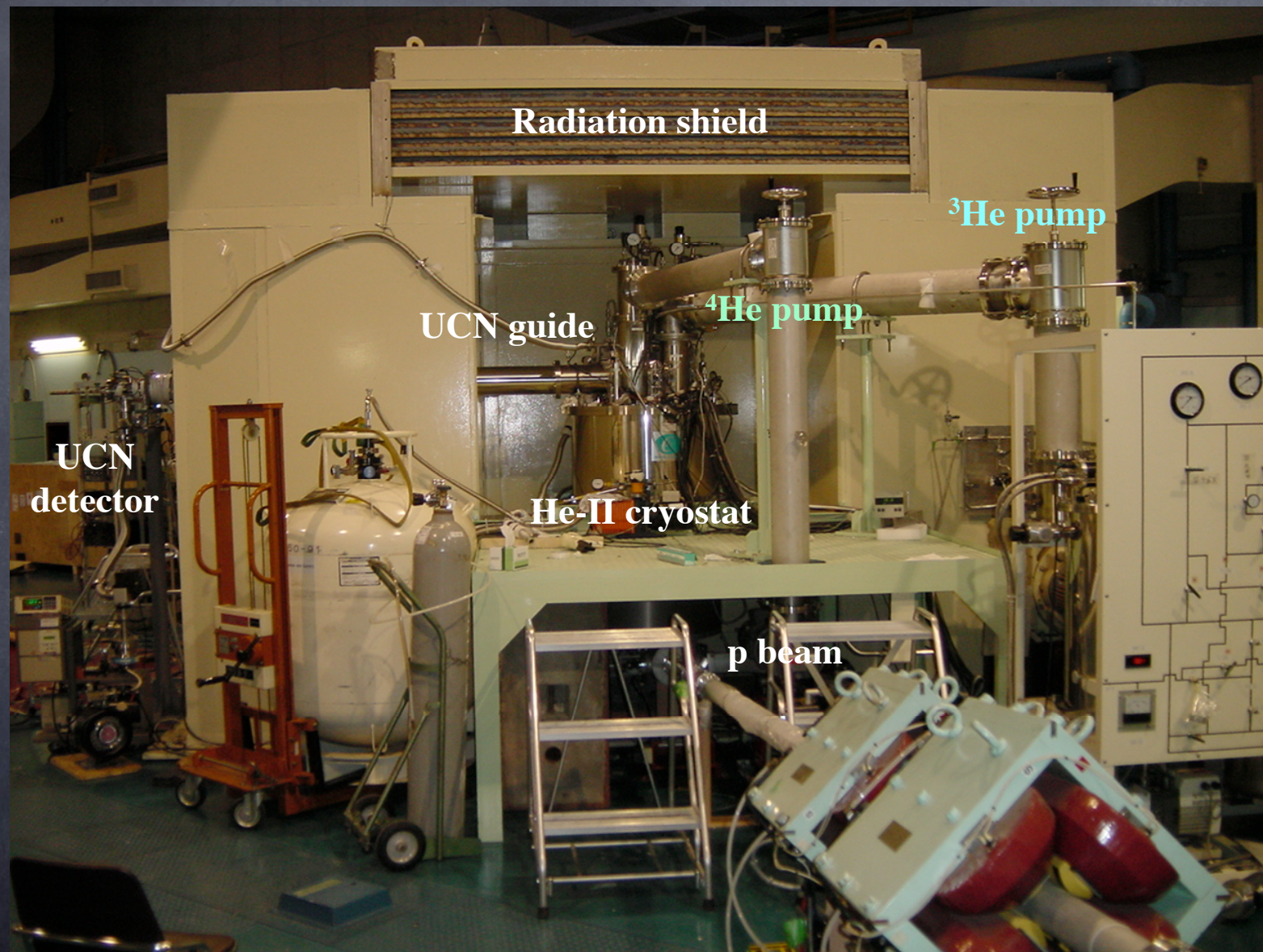
$\cdot P_{\text{He}}$ (vapor pressure) $\cdot dV/dt$ (pumping power)

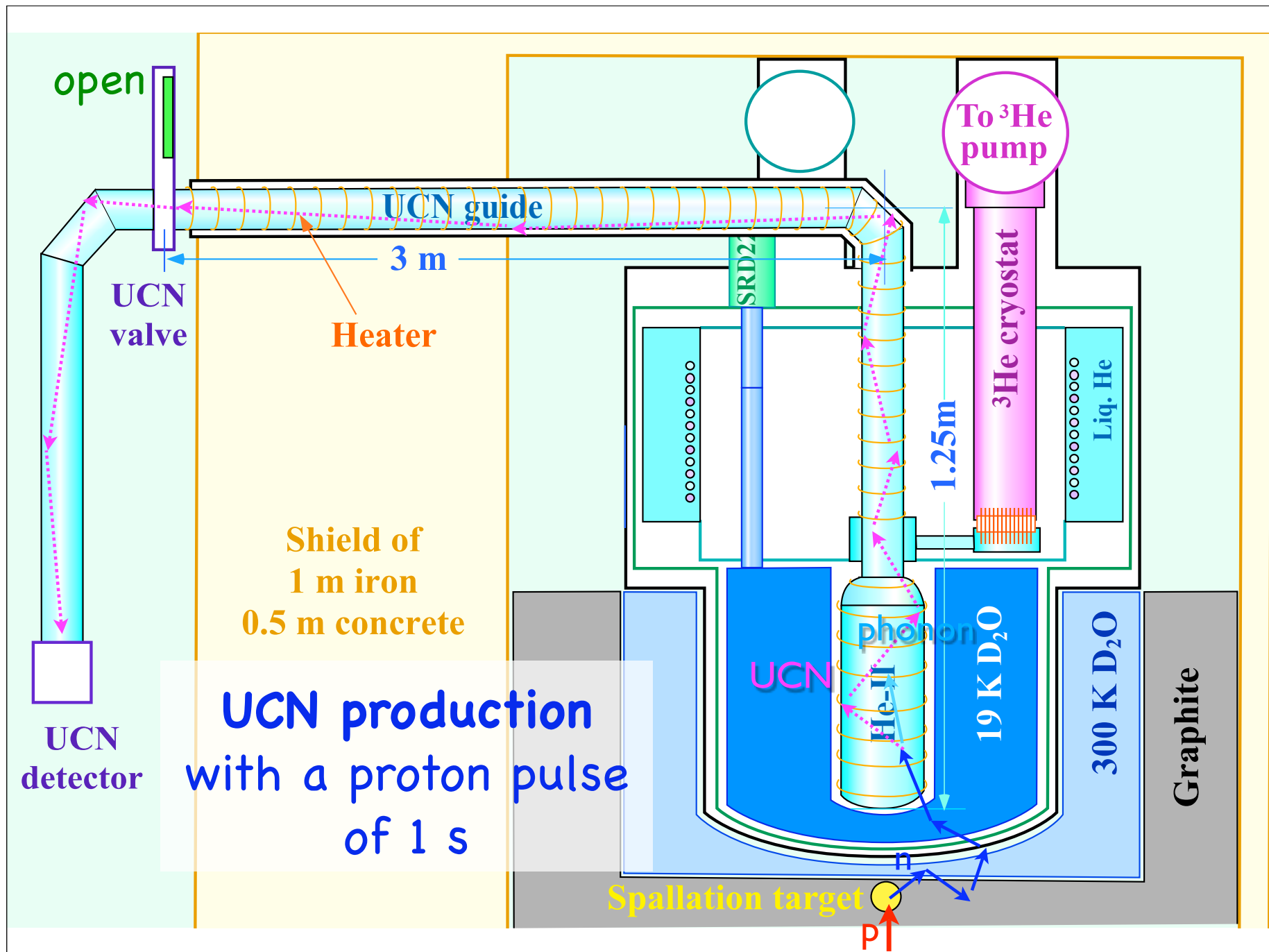
$$n \text{ (mol)} = PV/RT$$

	latent heat, $P_{^4\text{He}}$	latent heat, $P_{^3\text{He}}$
0.8 K		34.5 J/mol, 3 Torr
1.6 K	90 J/mol, 6 Torr	
2 K	90 J/mol, 25 Torr	



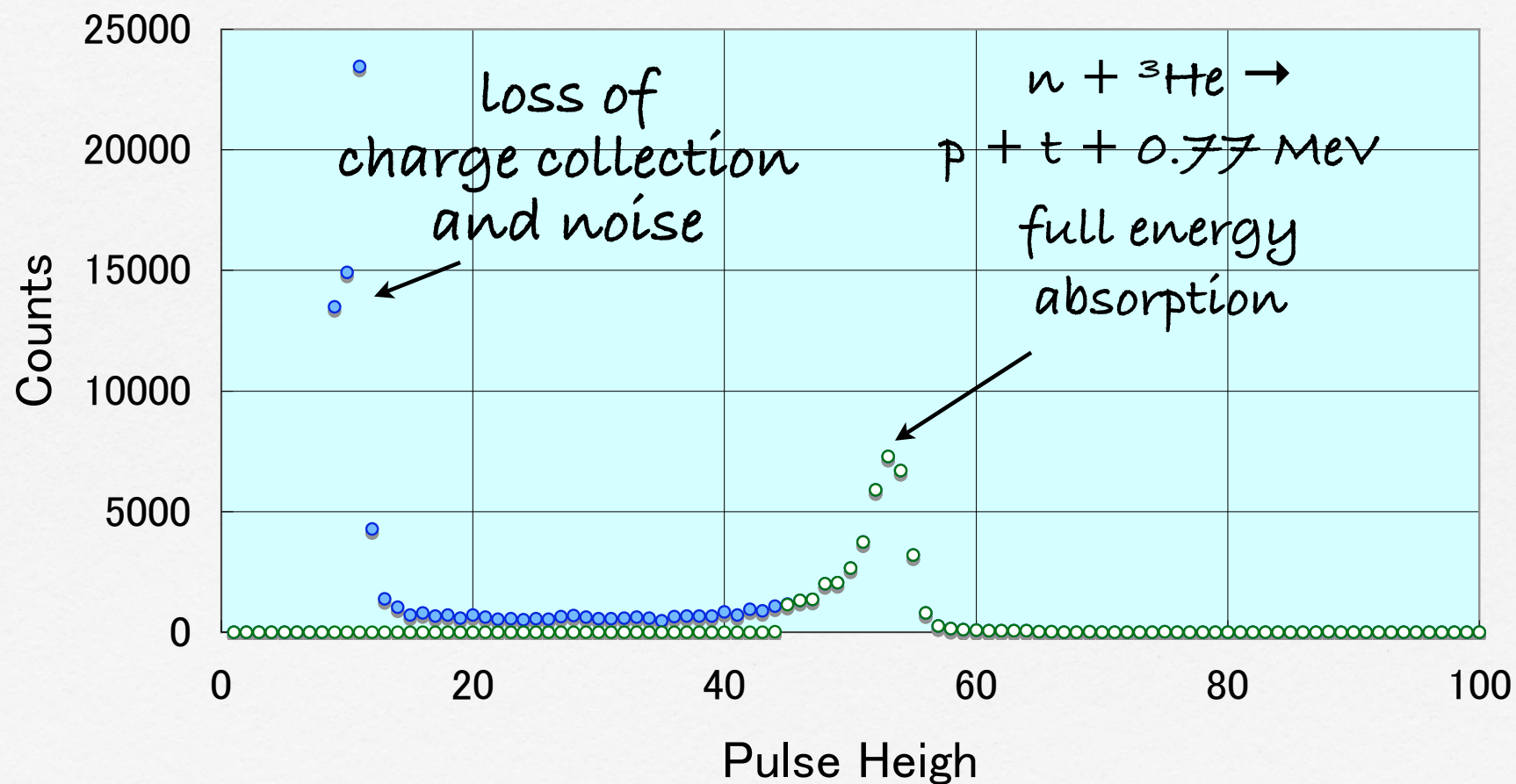
Our UCN source 2007



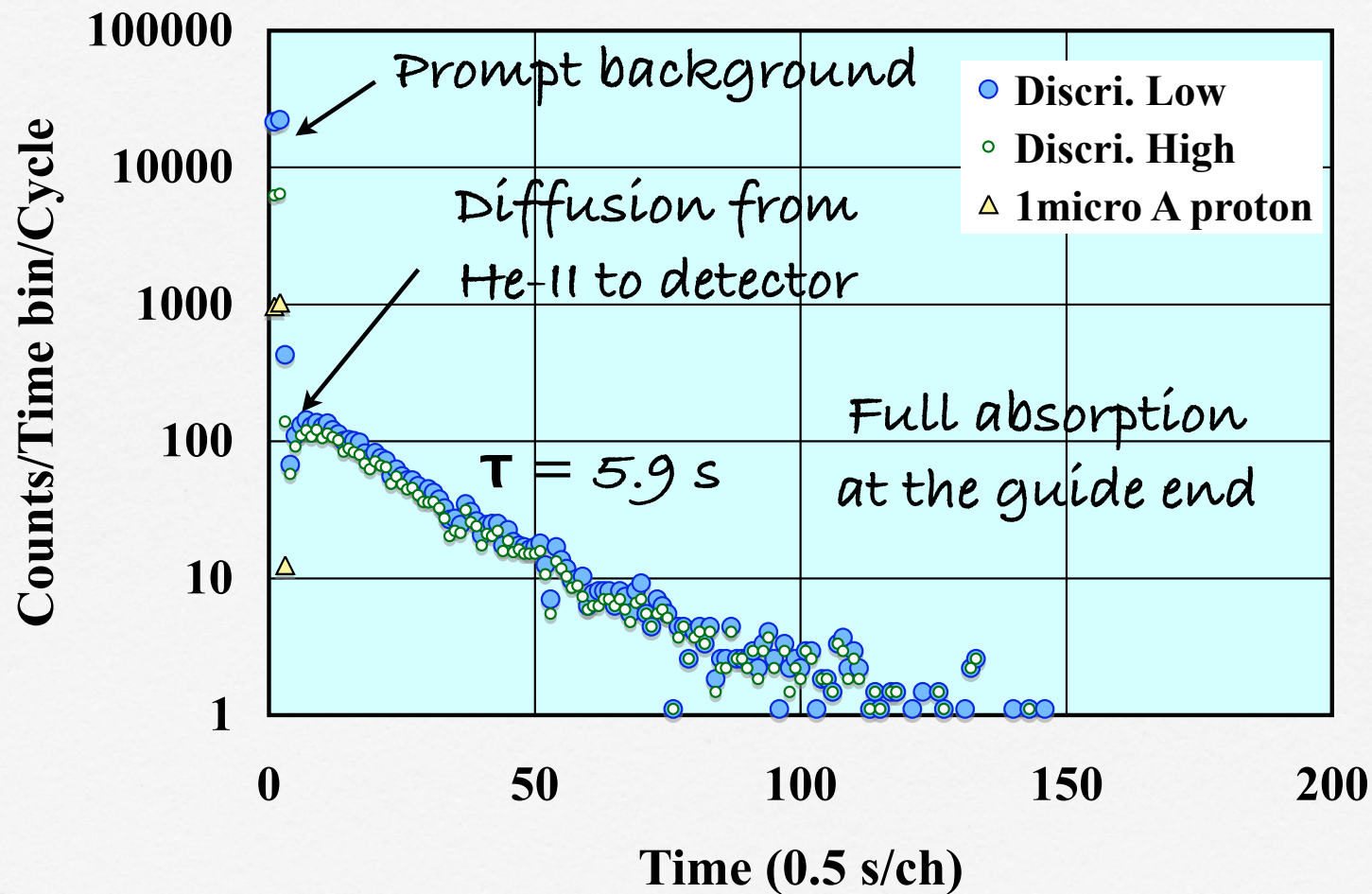


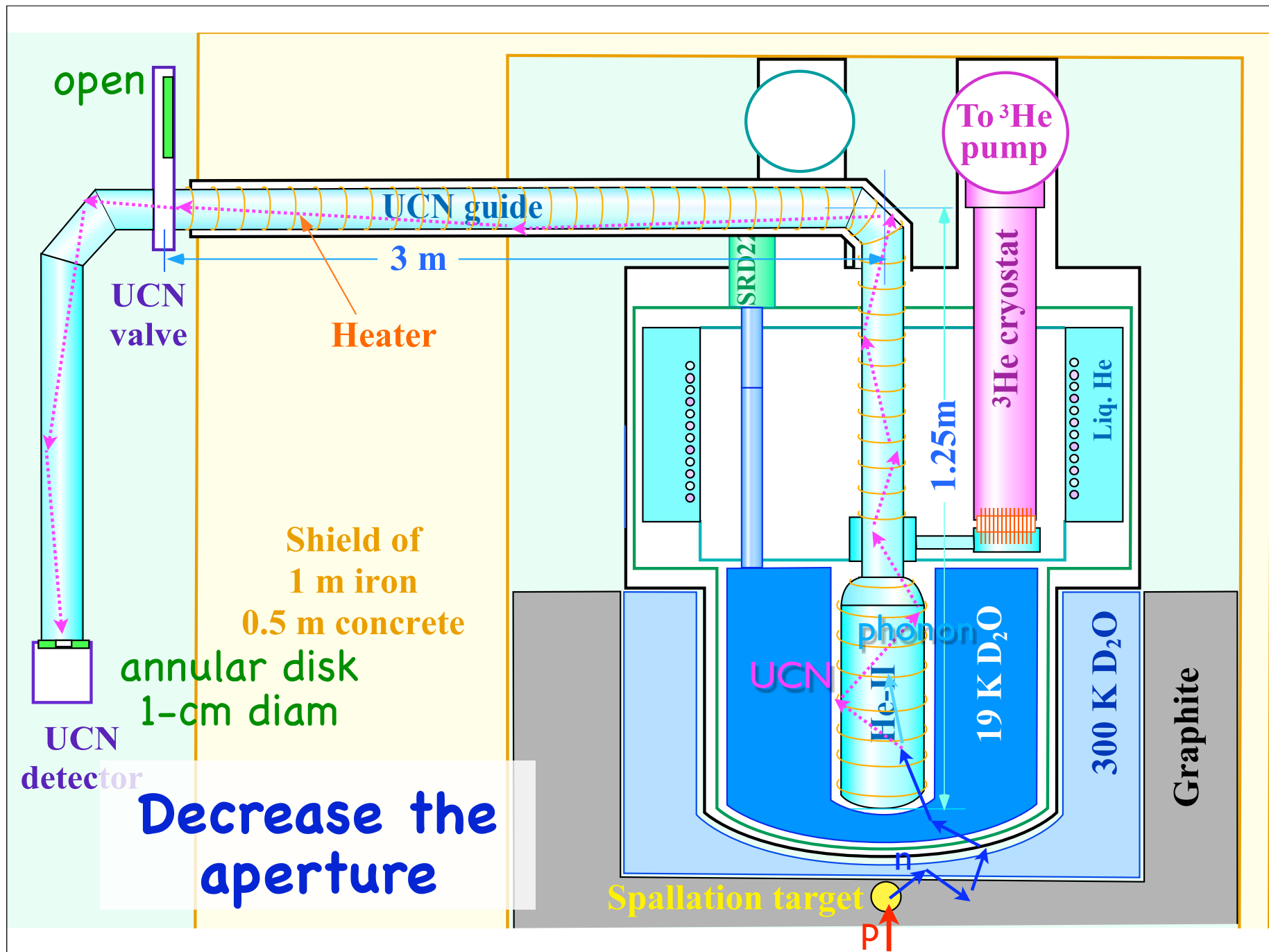
Data

UCN counter Pulse Height Spectrum

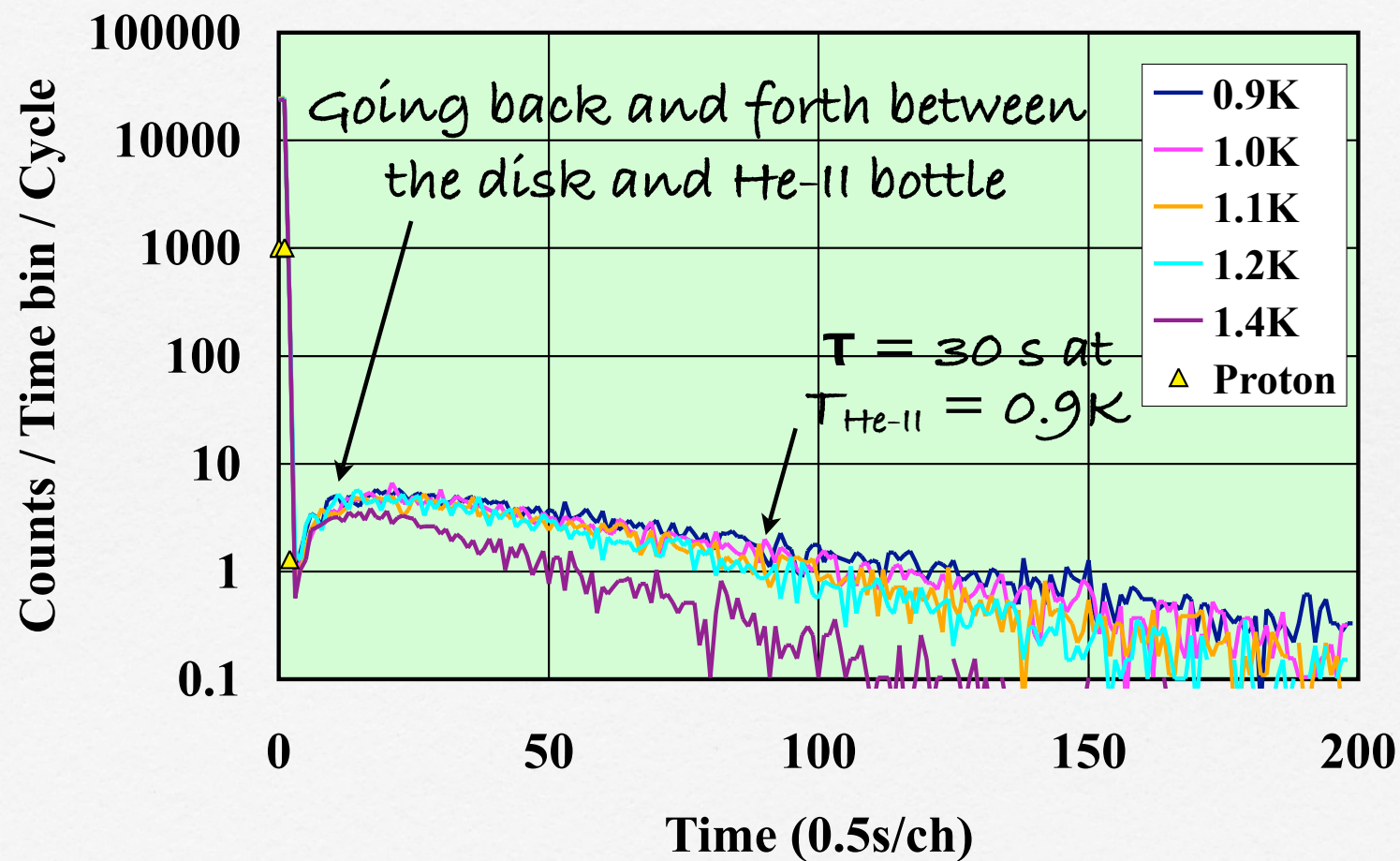


UCN production with a proton pulse of 1s

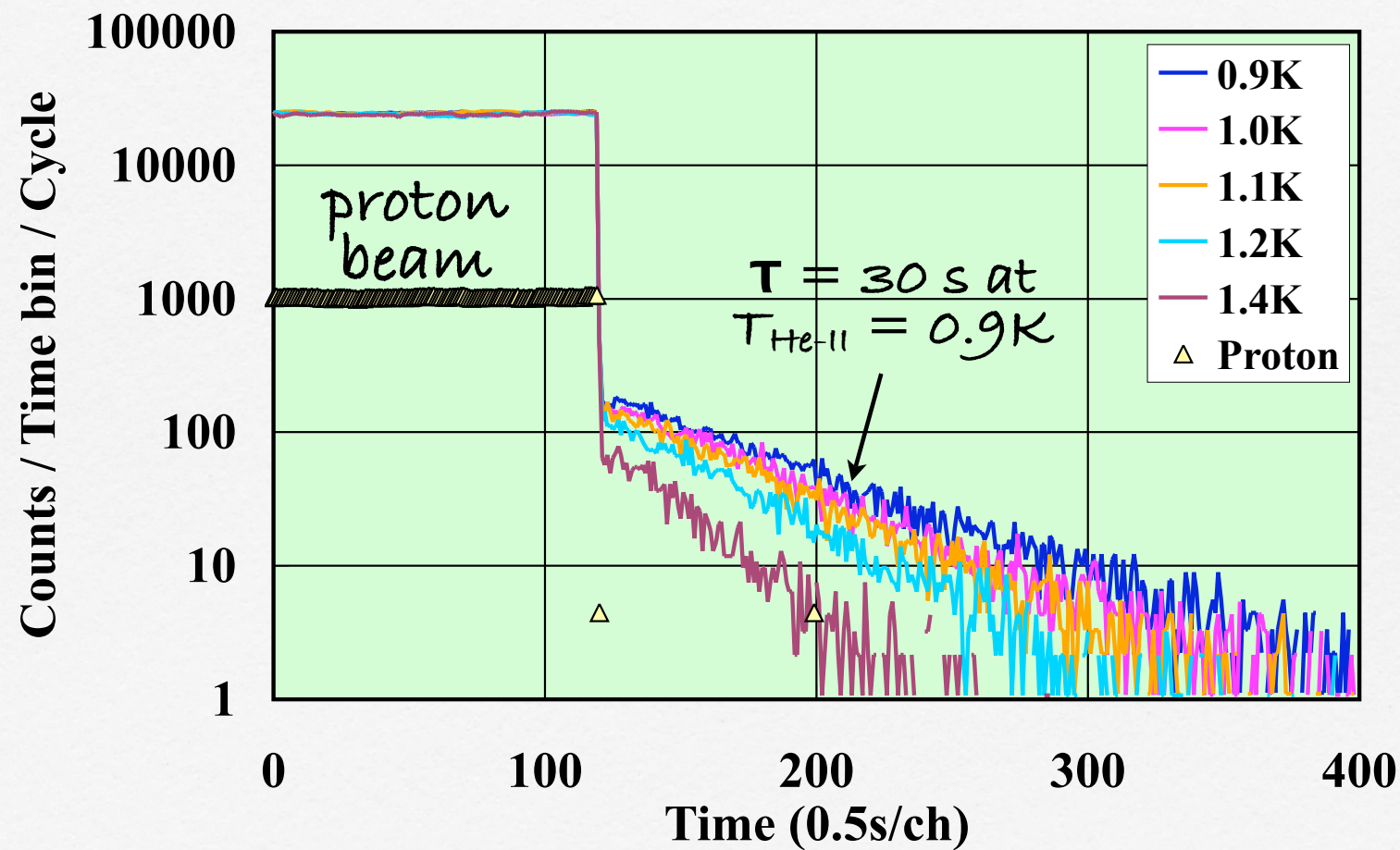


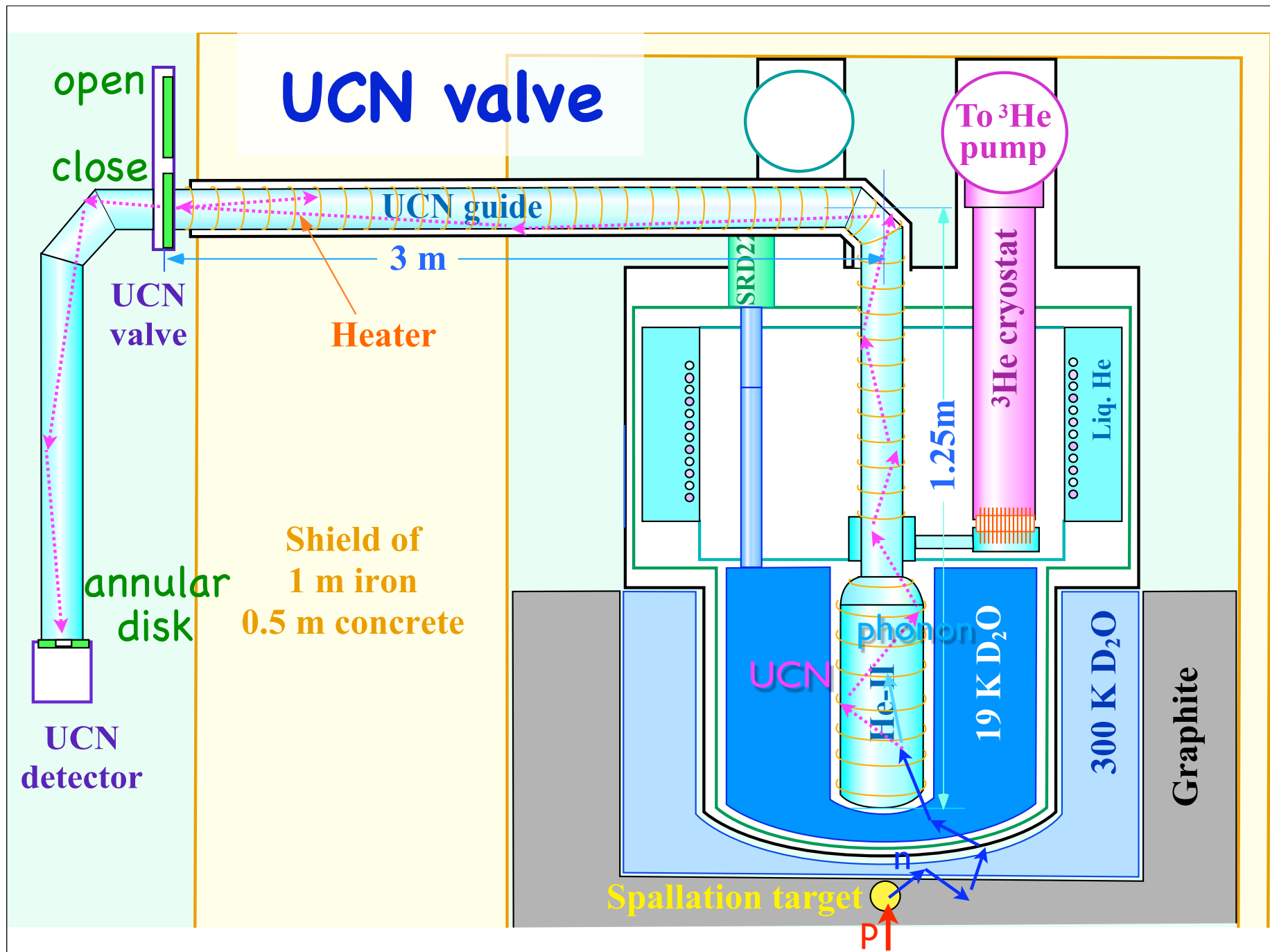


With the annular disk

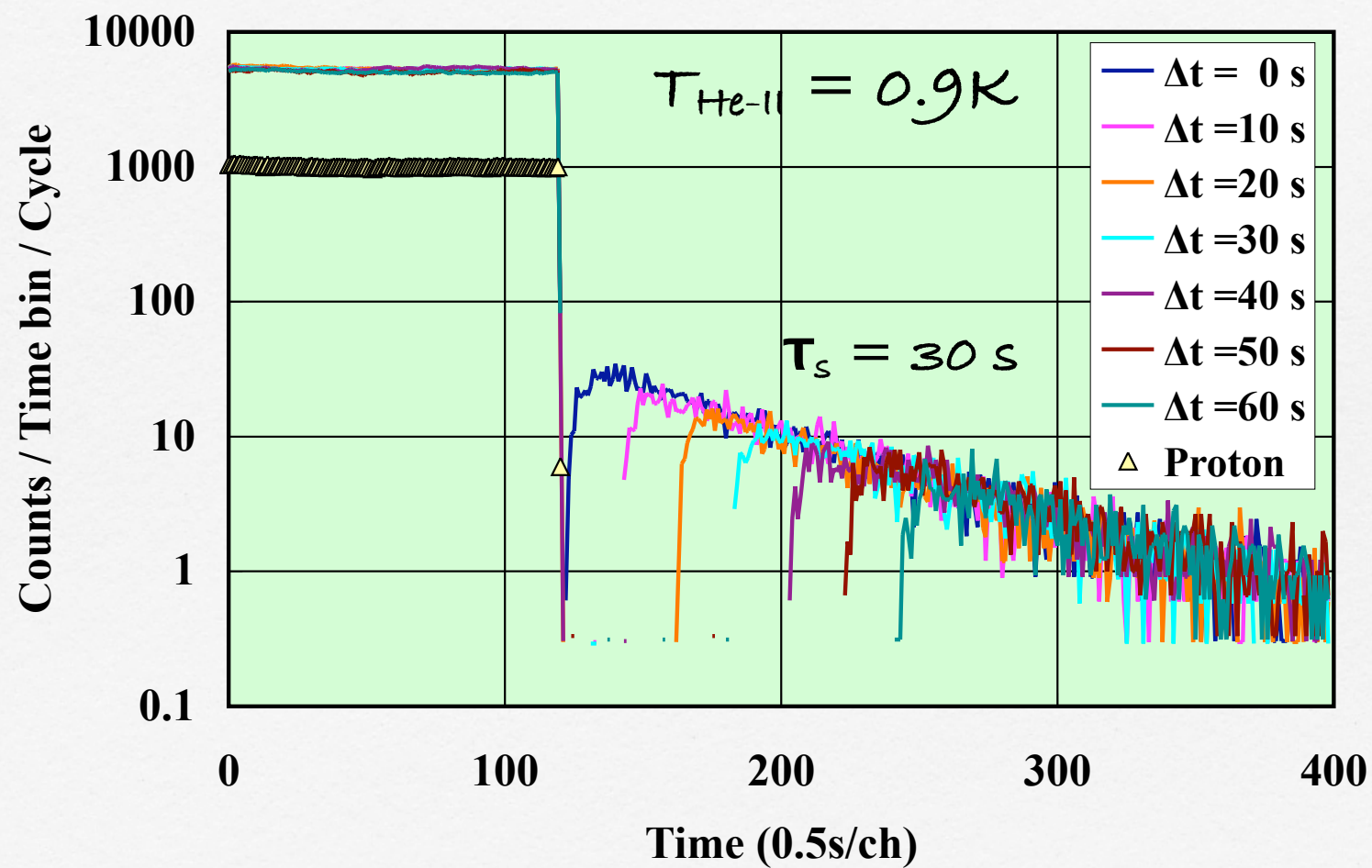


UCN production with a proton pulse of 60 s

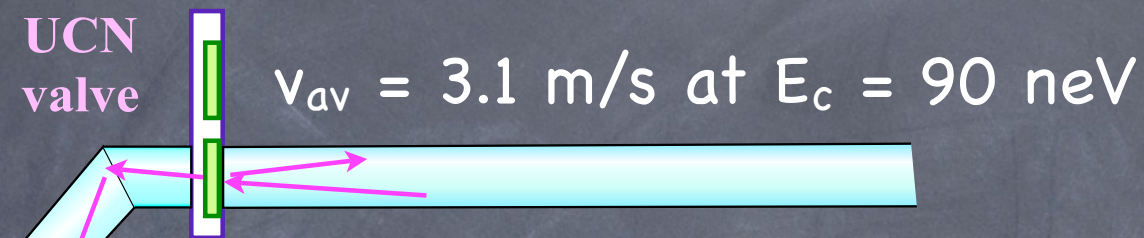




T_s measurement by UCN valve



UCN density by 390W p beam



$$v_{av} = 3.1 \text{ m/s at } E_c = 90 \text{ neV}$$

$$\text{UCN flow rate} = 1/4 \cdot \rho v_{av} S$$

$$\text{count rate} = 1/4 \cdot \rho v_{av} S_d \cdot \epsilon = 409 \text{ counts/s}$$

$$S_d = 0.5^2 \pi \text{ cm}^2, \epsilon = 0.68$$

$$\rho = 10 \text{ UCN/cm}^3$$

UCN
detector

assuming statistical distribution

$$1.2 \times 10^6 \text{ UCN / 36 liter}$$

$$E_c = 90 \text{ neV}$$

New cryostat

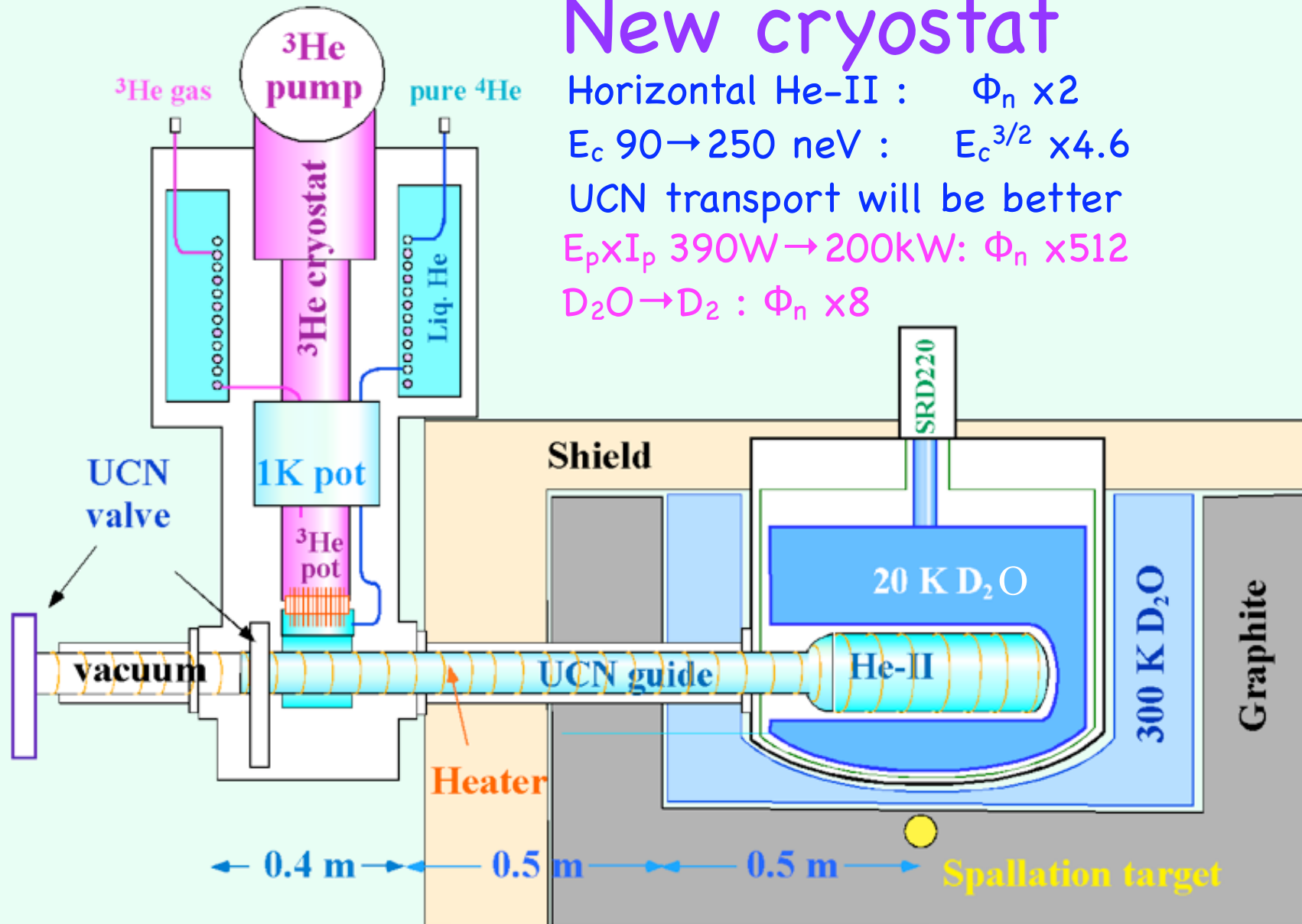
Horizontal He-II : $\Phi_n \times 2$

E_c 90 $\rightarrow$ 250 neV : $E_c^{3/2} \times 4.6$

UCN transport will be better

$E_p \times I_p$ 390W $\rightarrow$ 200kW: $\Phi_n \times 512$

$D_2O \rightarrow D_2$: $\Phi_n \times 8$



UCN production rate in He-II for NNbar

$$\begin{aligned} & 1.2 \times 10^6 \text{ UCN/30 s (present exp)} \\ & \quad \times 512 \quad \times 2 \quad \times 8 \quad \times 1.3 \\ & \quad (200\text{kW}) \text{ (horizontal)} \text{ (D}_2\text{)} \text{ (E}_c \text{ 250neV)} \\ & = 4.2 \times 10^8 \text{ UCN/s} \gg 1.2 \times 10^7 \text{ UCN/s for } T_{\text{NNbar}} \text{ } 3 \times 10^9 \text{ s ?} \end{aligned}$$

Production rate predicted

$$3.3 \times 10^8 \text{ UCN/s}$$

$2 \times 10^{-9} \Phi_n / \text{cm}^3 / \text{s} \times V \text{ cm}^3$ (V: He-II volume) by Golub
 $\Phi_n = 1.7 \times 10^{13} \text{ (n/cm}^2\text{/s)}$ for $V = 10^4 \text{ (cm}^3\text{)}$ by Monte Carlo

Thanks